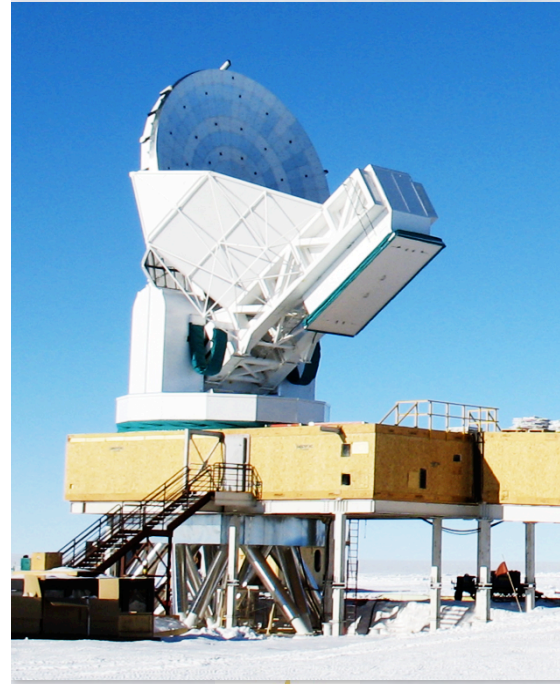


# CMB Lensing reconstruction with the South Pole Telescope

A. van Engelen, G. Holder, SPT collaboration

# SPT

- 10 m dish - 1' FWHM beam
- Observes at 3 frequencies: 90, 150, 220 GHz
- ~1000 detectors



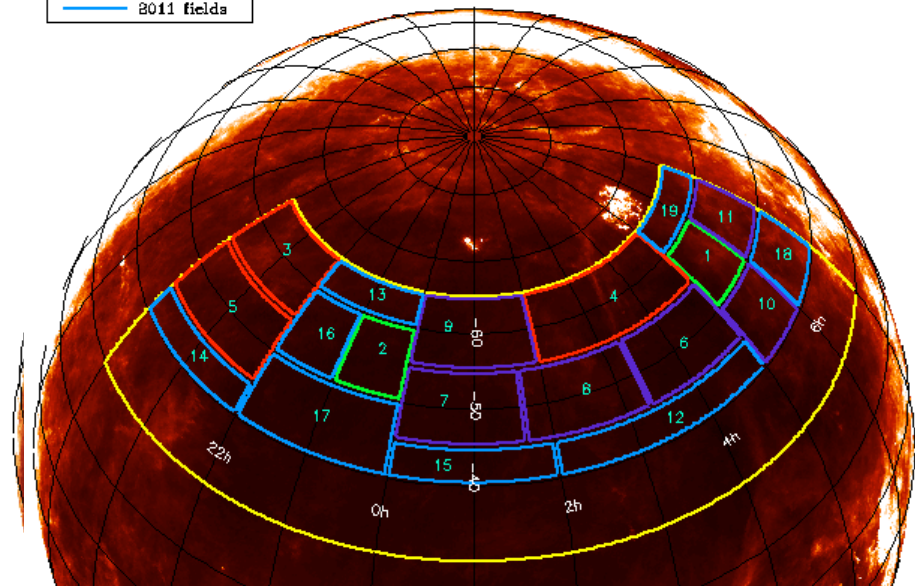
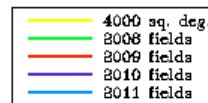
## SPT survey

- Survey Depth is 18  $\mu$ K-arcmin
- 2500 sq deg by ~end of 2011; ~1400 right now; we use ~500 sq deg from 2008 and 2009 surveys

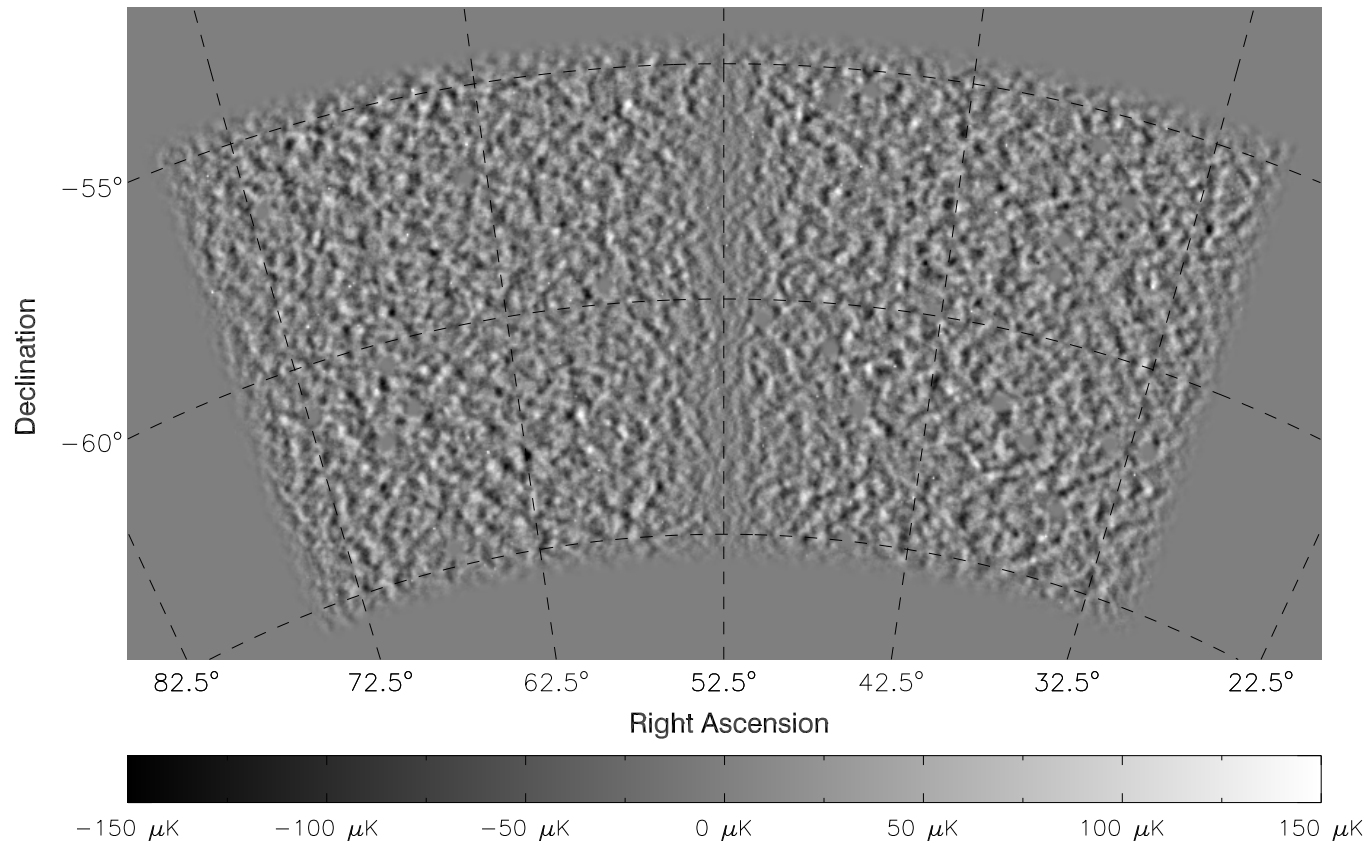
These properties make it ideal for studying lensing!

$$\delta\theta_{\text{rms}} \sim 2.4'$$

Sample-variance dominated well into the damping tail



# Map for primary CMB science (I of 4)



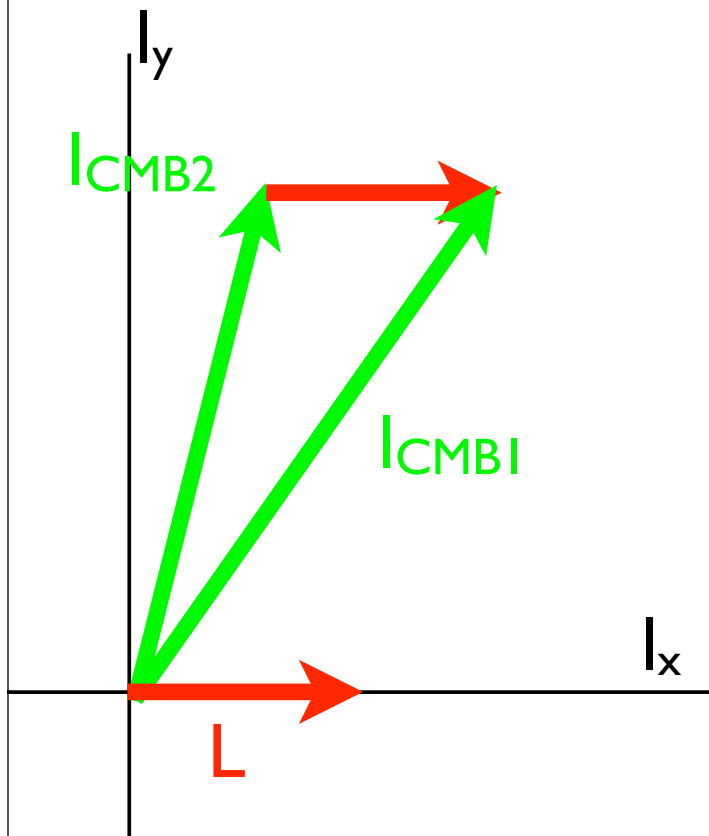
- Led by Ryan Keisler - see his talk (following this one)
- Filtered for  $500 < l < 3000$
- $\sim 500$  sq deg at 18  $\mu\text{K}$
- 150 GHz only

# Lensing

- Non-gaussian mode coupling for  $l_1 \neq -l_2$  :

$$\langle T^L(l_1)T^L(l_2) \rangle = \mathbf{L} \cdot (l_1 C_{l_1}^T + l_2 C_{l_2}^T) \phi(\mathbf{L}) + O(\phi^2)$$

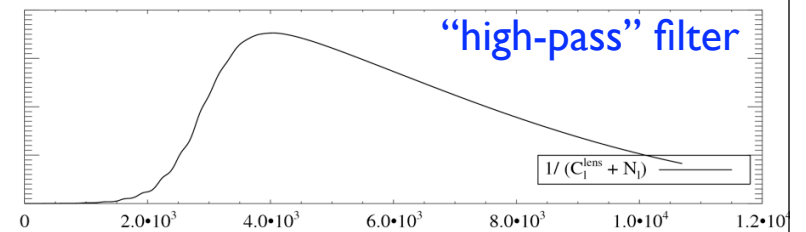
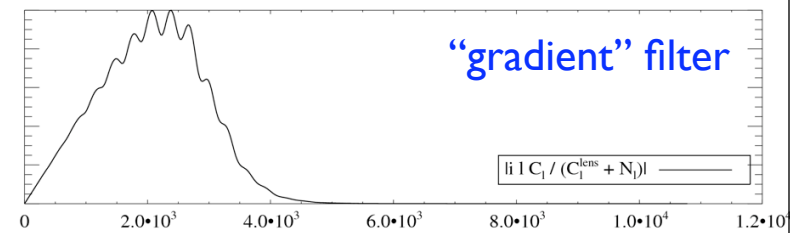
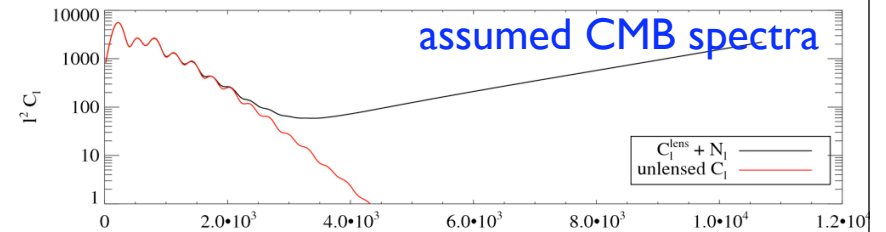
$$\mathbf{L} = l_1 + l_2$$



- We extract  $\phi$  by taking an average over CMB multipoles separated by a distance  $L$
- We use the standard Hu quadratic estimator.

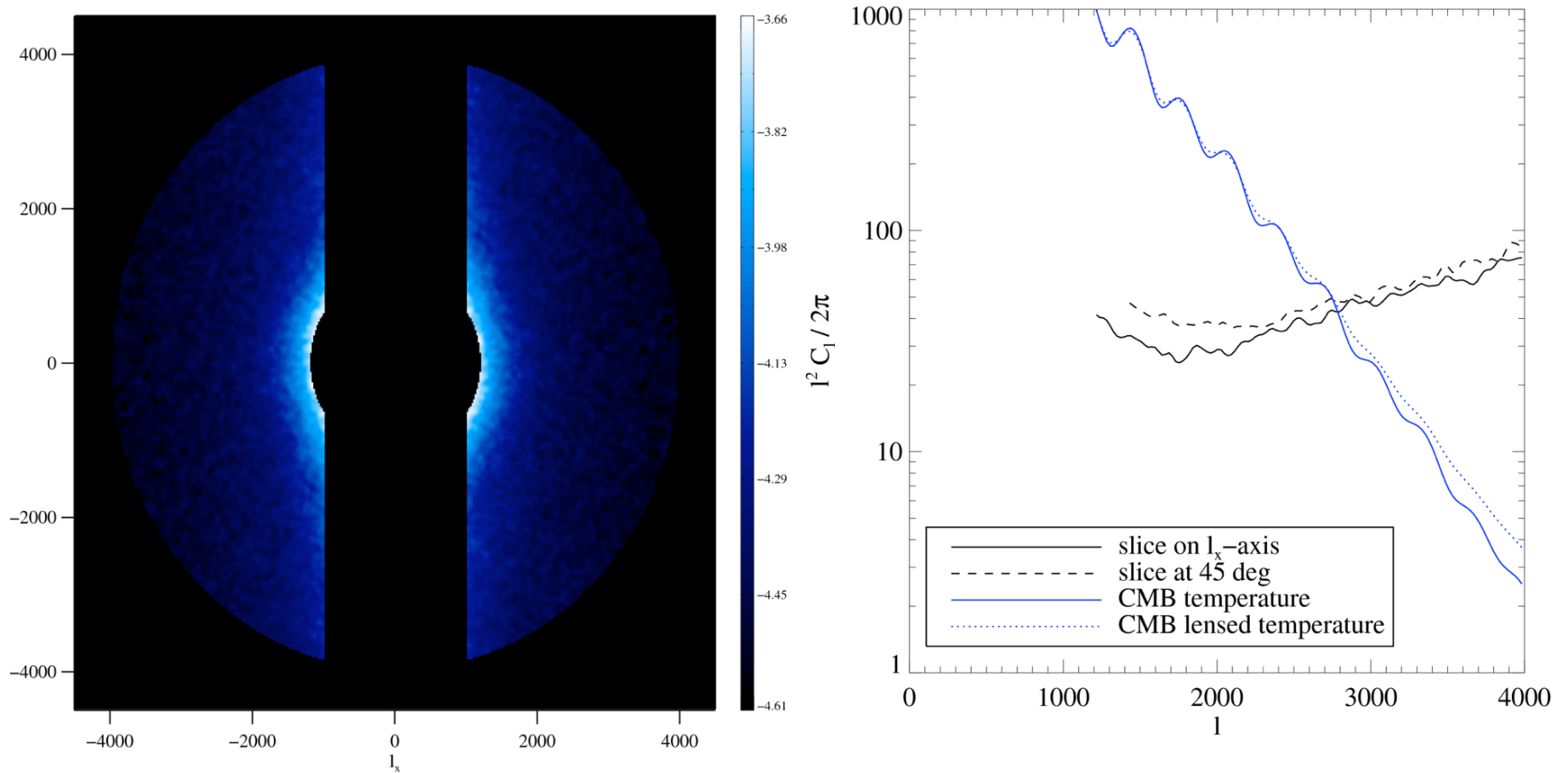
# Quadratic Estimator (Hu 2002)

- We adopt the standard Optimal Quadratic Estimator
  - Make a filtered gradient map (filtered)
  - Make a high-pass filtered map
  - Multiply them in real space
  - Take the divergence
  - Renormalize to ensure  $\langle \phi^{\text{est}}(\mathbf{L}) \rangle_{\text{CMB}} = \phi(\mathbf{L})$ , to first order in  $\phi$
- Power in this map probes CMB trispectrum;  $\phi^{\text{est}} \sim T^2$ ;  $|\phi^{\text{est}}|^2 \sim T^4$
- Filters are tuned to maximize S/N; downweight noisy modes
- 



# SPT noise power

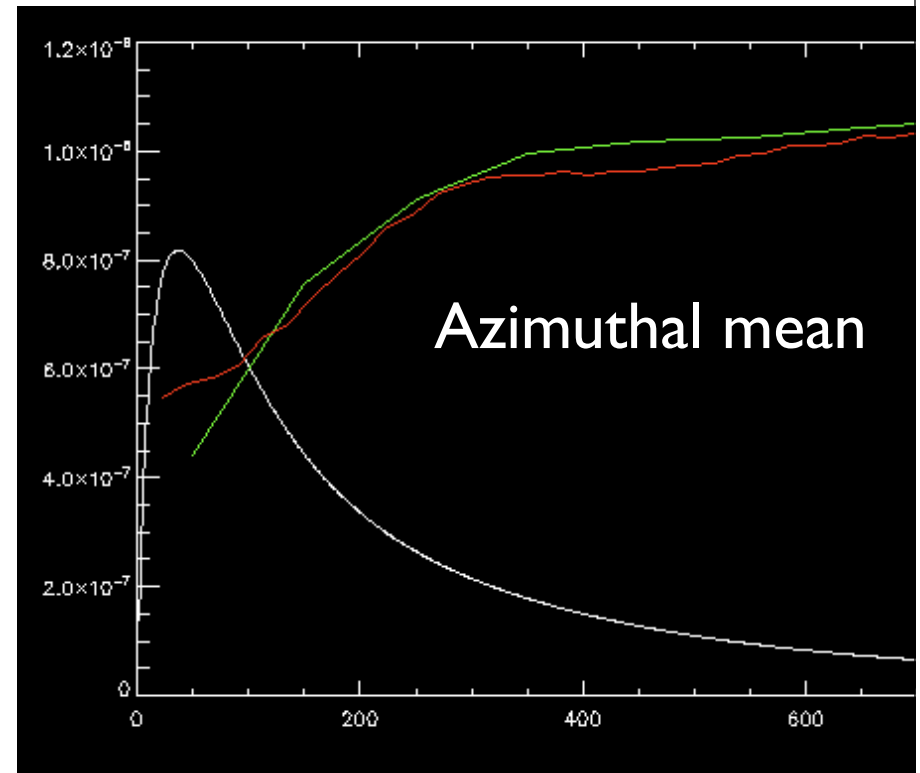
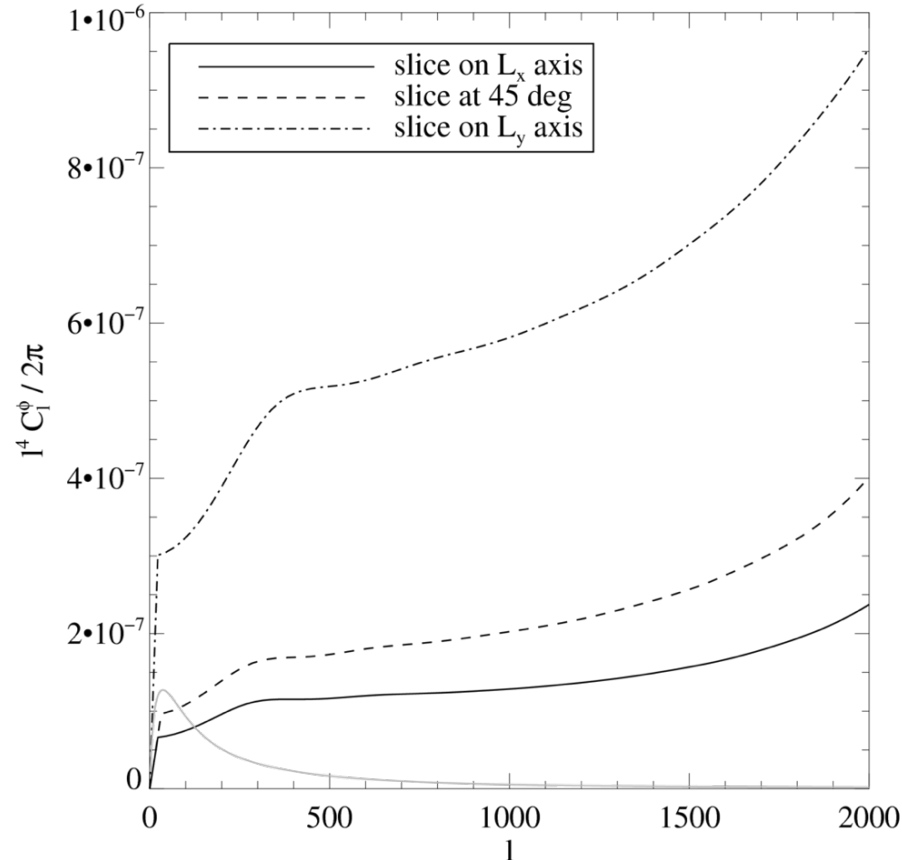
- Due to SPT azimuthal scan strategy, noise is lowest in  $l_x$ -direction in Fourier space
- We cut at  $1200 < l < 4000$ , as well as a vertical strip with  $|l_x| < 1000$
- This makes the recovered lensing field anisotropic



# SPT 2d noise

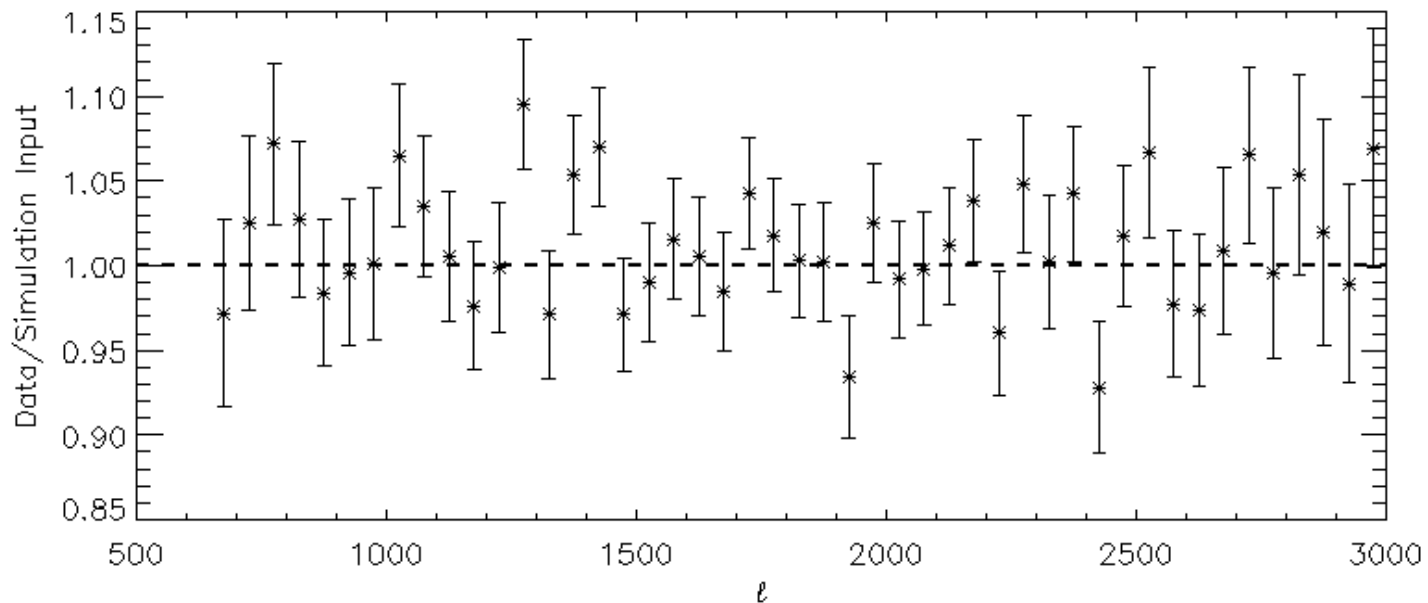
- reconstruction is  $\sim 4x$  noisier in  $L_y$  than  $L_x$  direction

- Inverse-variance weight when computing power spectrum
- gives overall noise bias



# Mitigating the noise bias

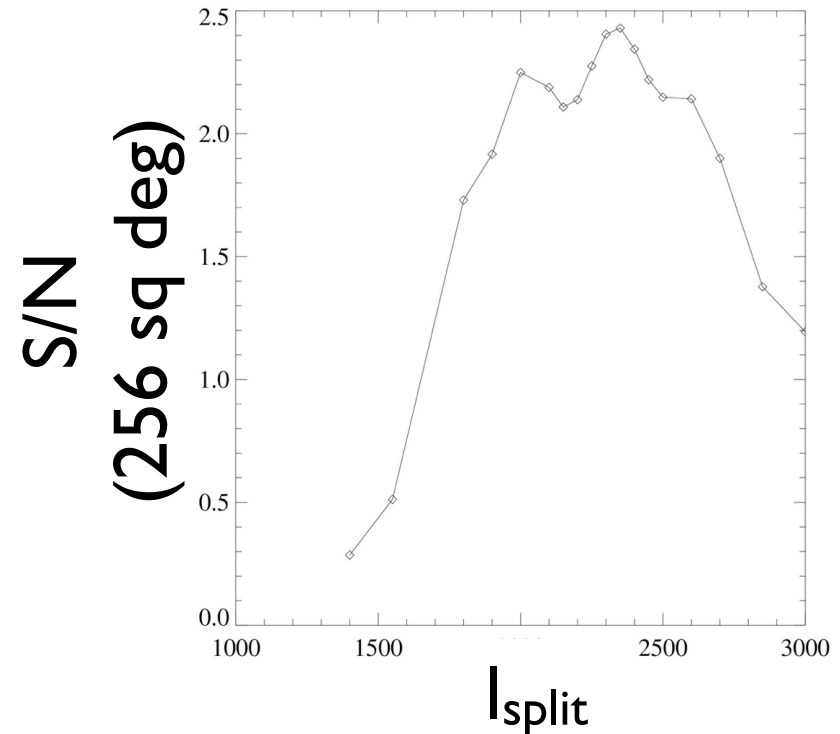
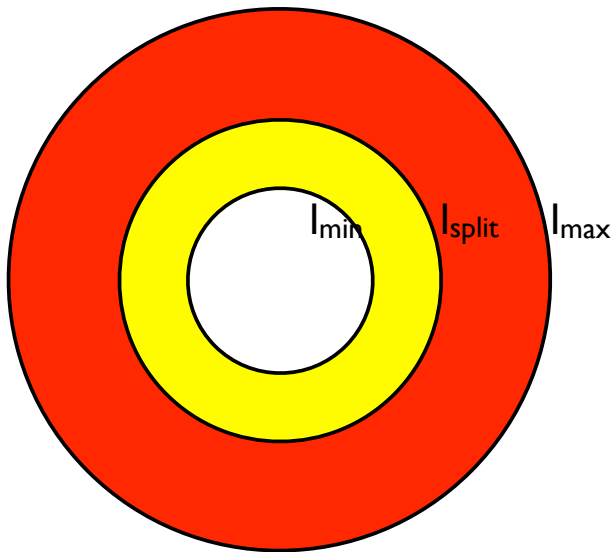
- Noise bias comes from gaussian power (unconnected four-point function) in map
  - Das et al (2011) run simulations with measured map amplitude (and random phases) through pipeline
- The power found in SPT maps agrees well with that in our simulations (up to a measurable, constant factor); we can subtract
- SPT calibration uncertainty (5% in power) still feeds into lensing signal from off-diagonal couplint





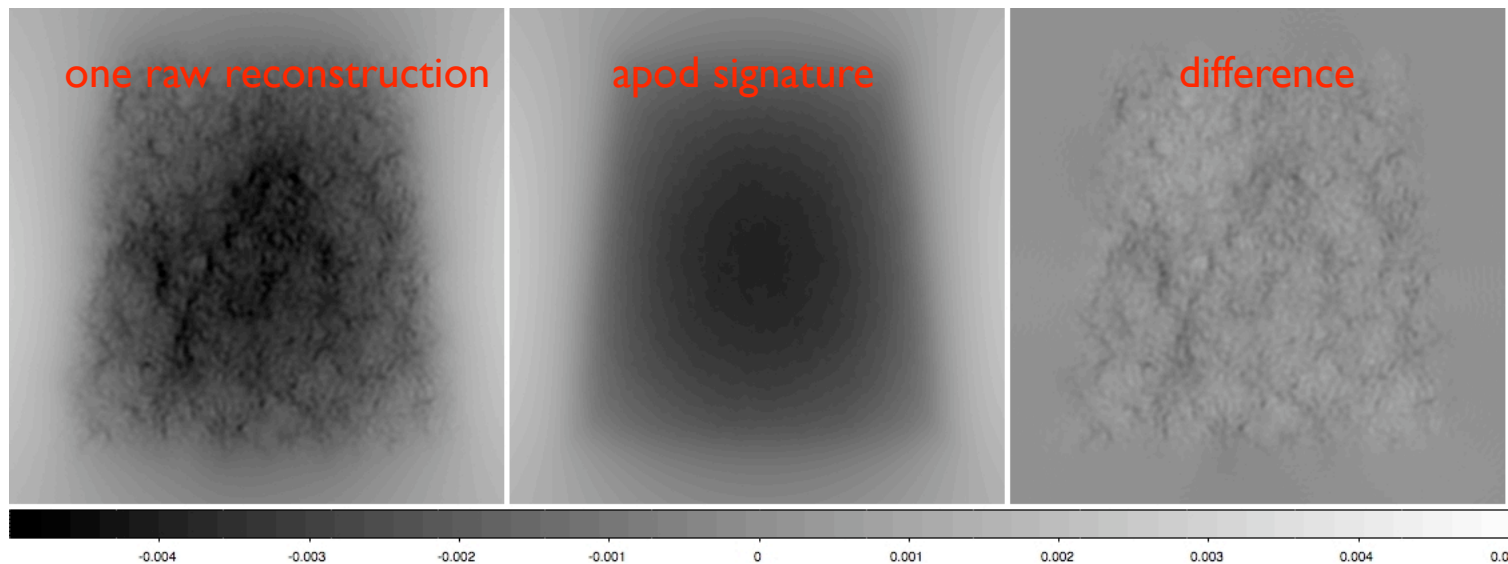
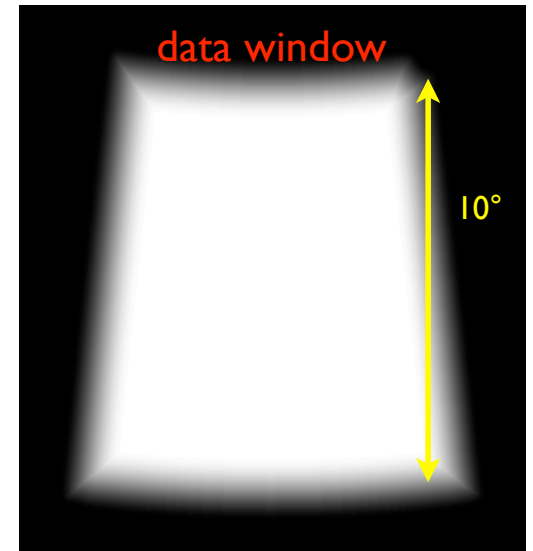
# Another way to mitigate the noise bias

- Can use disjoint pieces of temperature Fourier space (from same field), constructing two  $\Phi$  maps; then compute cross-power
- Result will not contain bias from Gaussian signal (Hu 2001, Sherwin & Das 2010)
- S/N hit  $\sim 3/8$



# Apodization effects

- Apodization leads to mode coupling
- We run estimator initially neglecting this, then deal with effects
- Additive large-scale signature. Peaks at low L; factor of 5 brighter than the deflection signal
- Monte Carlo it & subtract



# Apodization effects

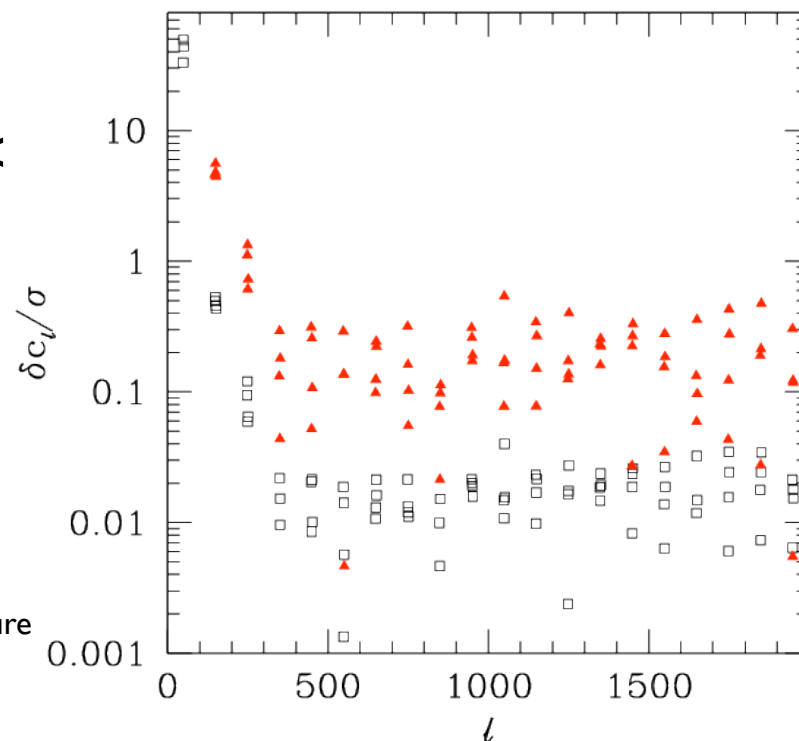
- The window signature depends on the **total power** in the map:
- Appears at very **low L**
- A misestimate gives  $\sim 0.5\sigma$  scatter at  $L = 150$ ; negligible for  $L > 300$
- We choose to **throw out** data at  $L < 150$

$$\langle \hat{D}(\mathbf{L}) \rangle = \frac{A_L}{L} \int \frac{d^2 \mathbf{l}_1}{(2\pi)^2} \int \frac{d^2 \mathbf{l}'}{(2\pi)^2} \times F(\mathbf{l}_1, \mathbf{L} - \mathbf{l}_1) \times C_{\ell'}^t A(\mathbf{l}_1 - \mathbf{l}') A(\mathbf{L} - \mathbf{l}_1 + \mathbf{l}')$$

Scatter on lensing bandpowers (rel. to statistical errors)...

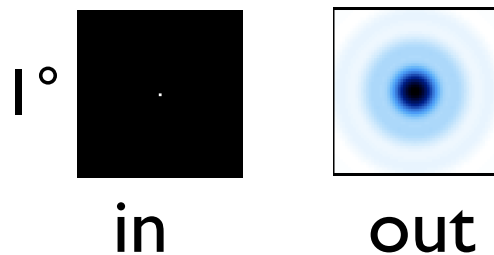
▲ : when no correction for apod. feature is applied

□ : when feature is subtracted, but power in map is misestimated at 5%

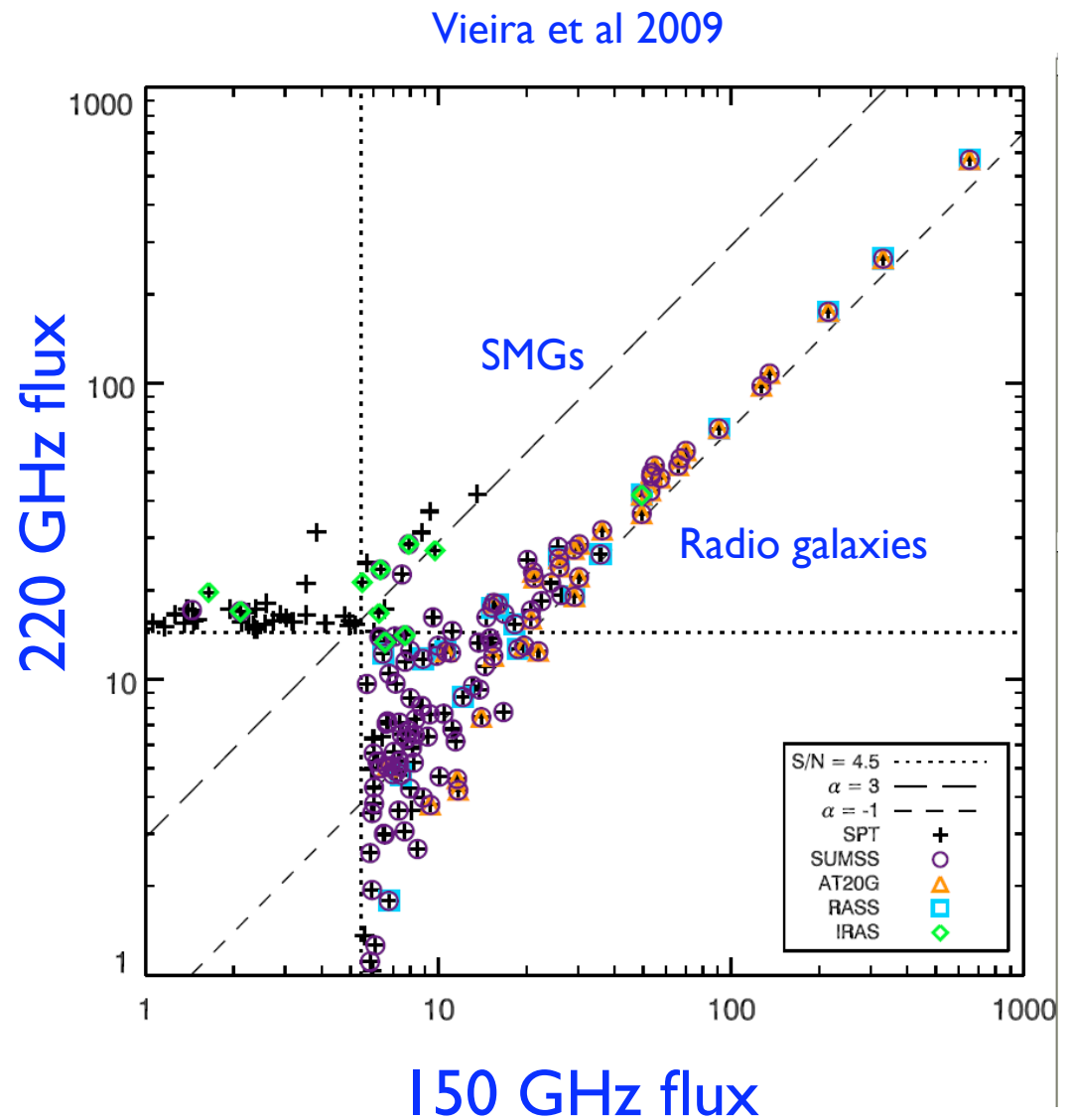


# Point sources

- Spread from one point source



- Low SPT noise allows us to detect point sources down to a  $5\sigma$  depth of  $\sim 5$  mJy at 150 GHz

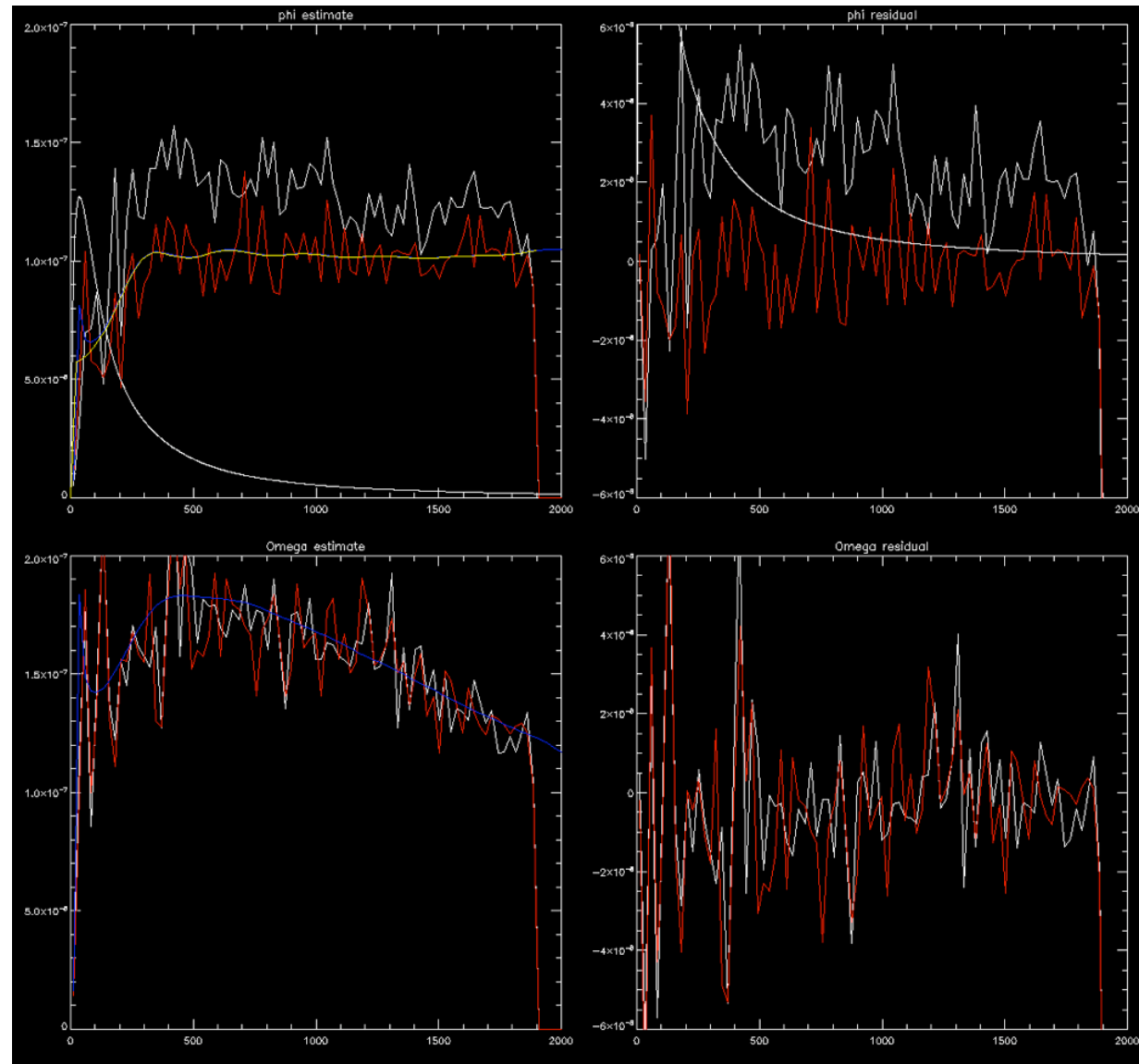


# Poisson point sources

- Cut at 65 mJy

CMB + 18  $\mu\text{K}'$   
whitenoise +  
Poisson field  
CMB + 18  $\mu\text{K}'$   
whitenoise +  
Gaussian field  
with same  
power

Top: gradient  
estimator;  
bottom: curl  
estimator

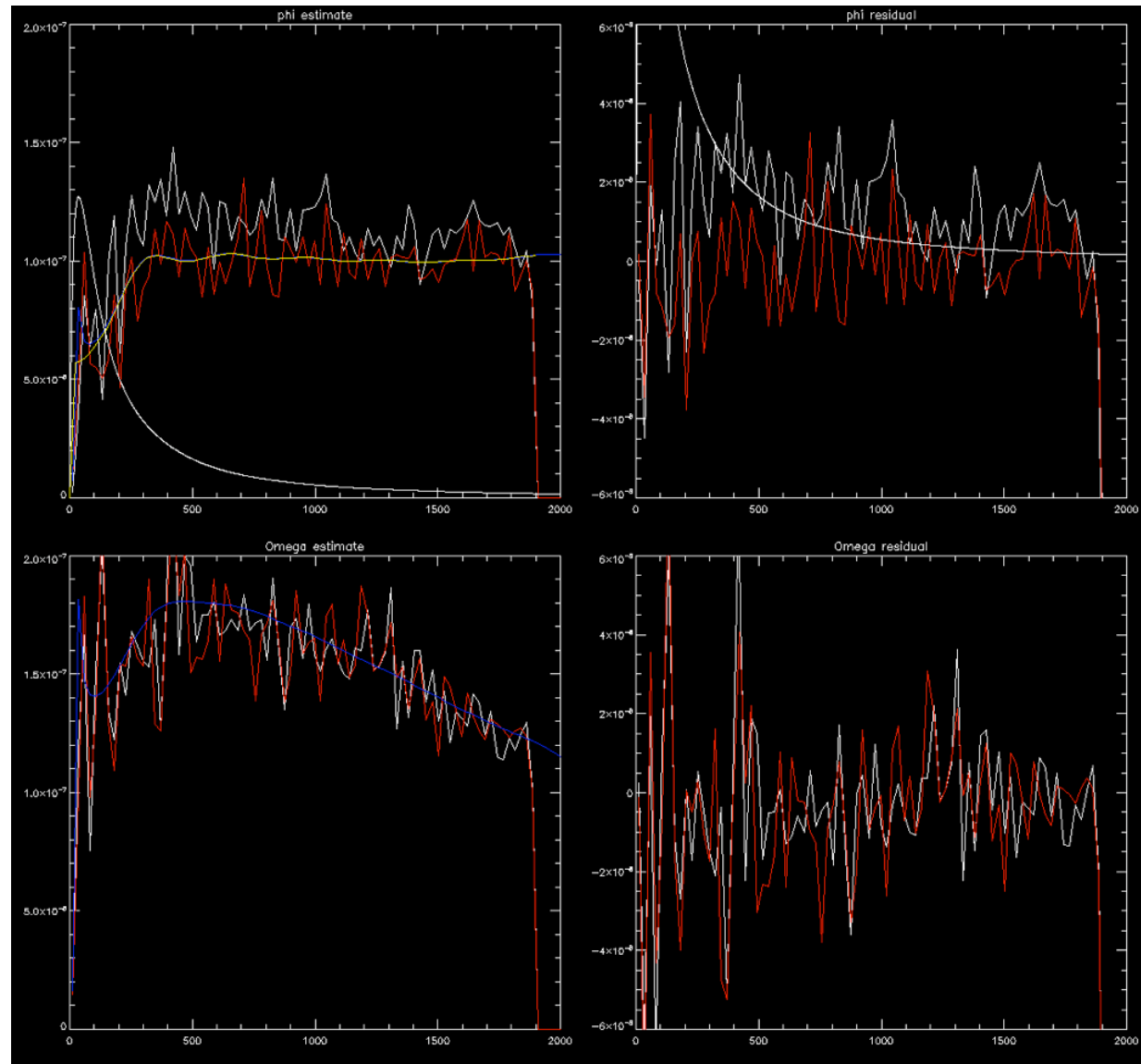


# Poisson point sources

- Cut at 41 mJy

CMB + 18  $\mu\text{K}'$   
whitenoise +  
Poisson field  
CMB + 18  $\mu\text{K}'$   
whitenoise +  
Gaussian field  
with same  
power

Top: gradient  
estimator;  
bottom: curl  
estimator

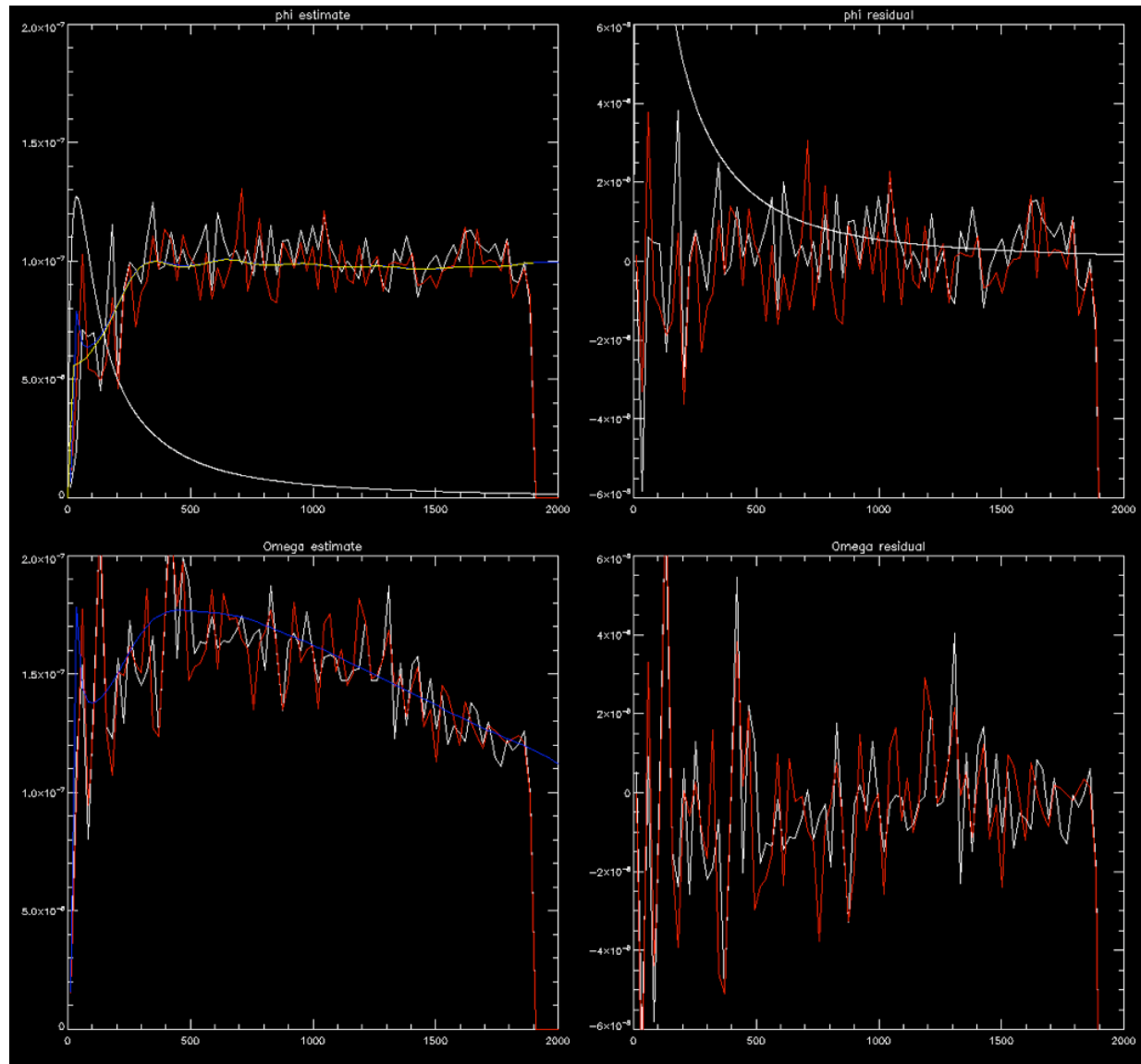


# Poisson point sources

- Cut at 26 mJy

CMB + 18  $\mu\text{K}'$   
whitenoise +  
Poisson field  
CMB + 18  $\mu\text{K}'$   
whitenoise +  
Gaussian field  
with same  
power

Top: gradient  
estimator;  
bottom: curl  
estimator

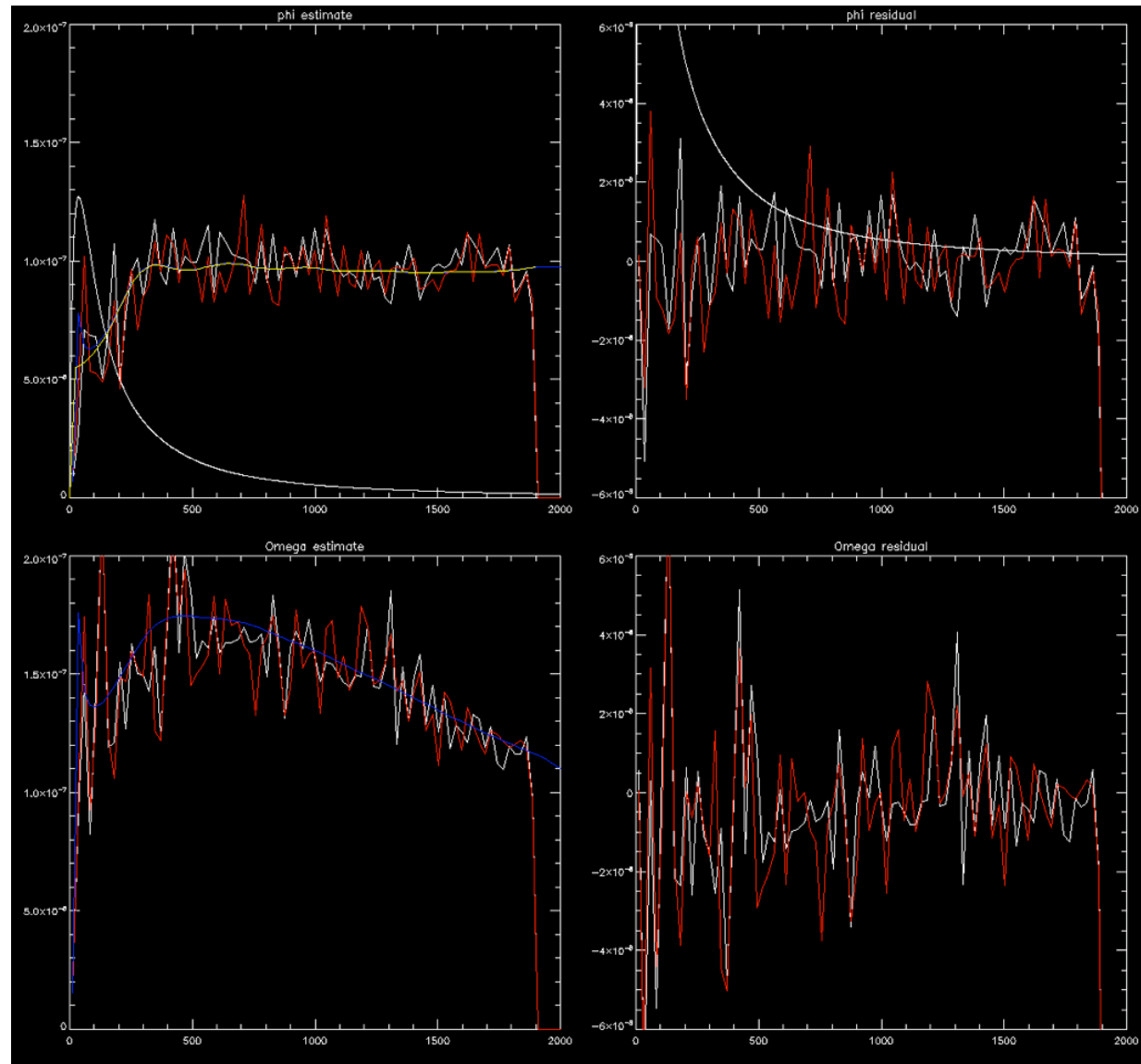


# Poisson point sources

- Cut at 16 mJy

CMB + 18  $\mu\text{K}'$   
whitenoise +  
Poisson field  
CMB + 18  $\mu\text{K}'$   
whitenoise +  
Gaussian field  
with same  
power

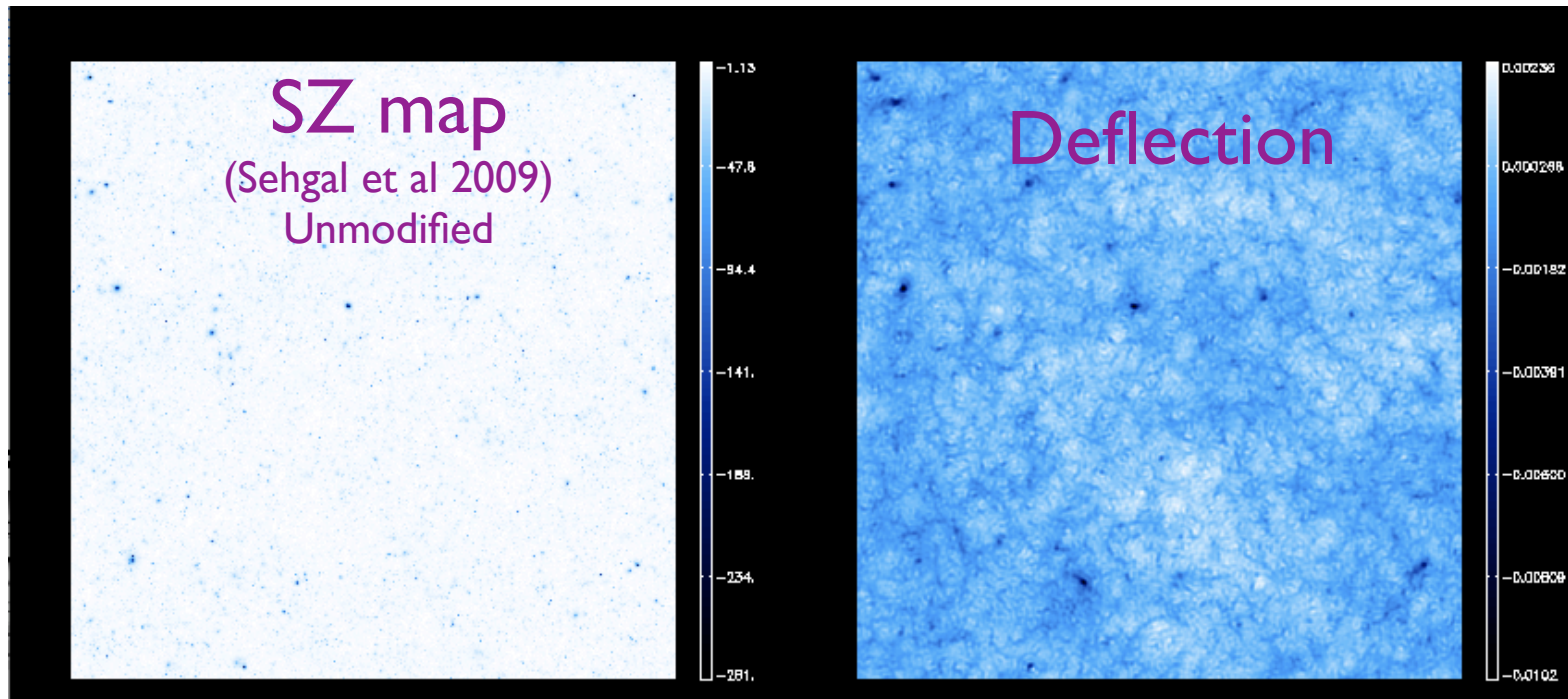
Top: gradient  
estimator;  
bottom: curl  
estimator





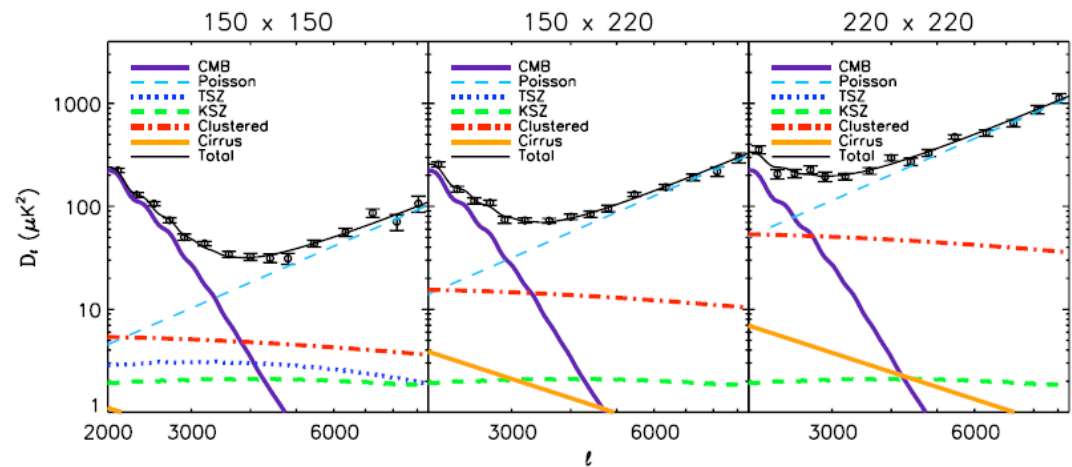
# tSZ

- Clusters pop out in reconstruction:

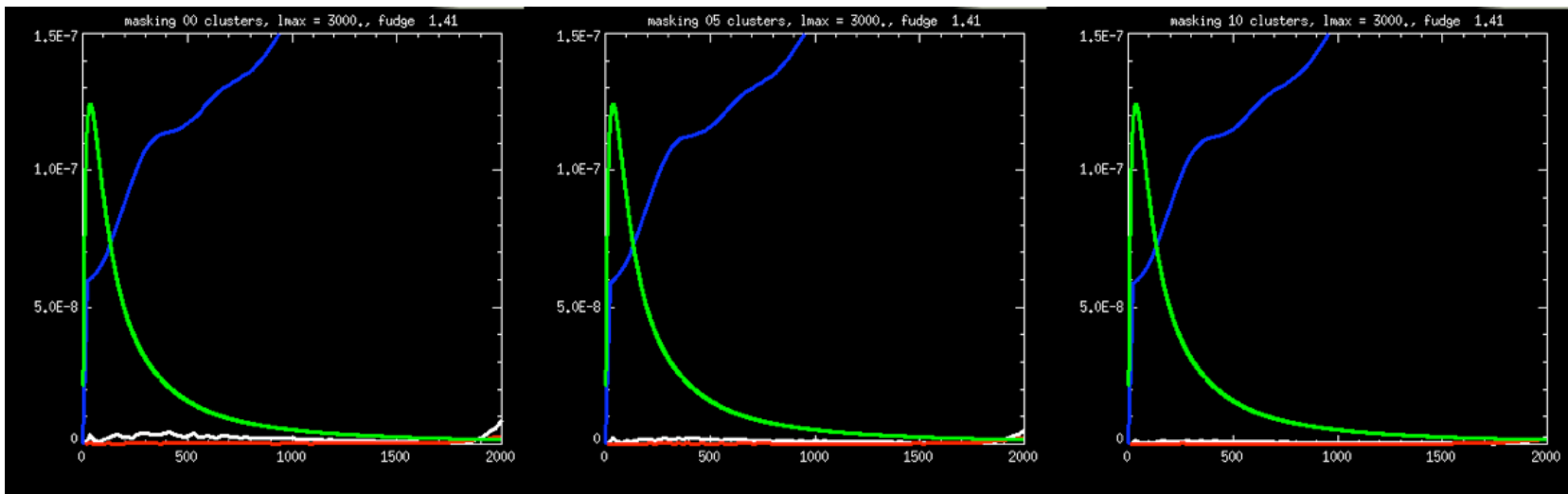


# tSZ

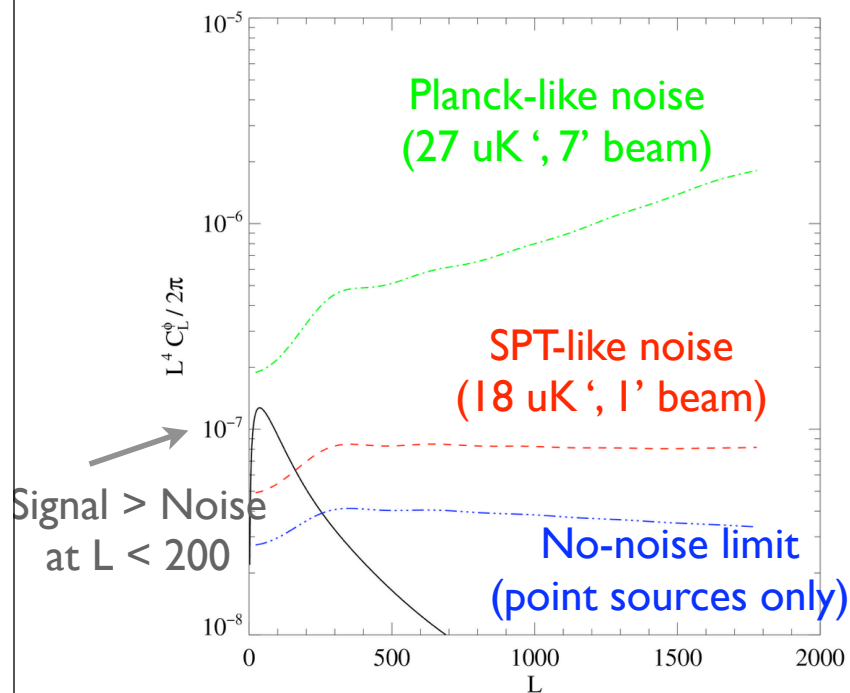
- tSZ power in sims is ~double the measured value
- Knock down power in Sehgal sims
- SZ bias vs. masking level:



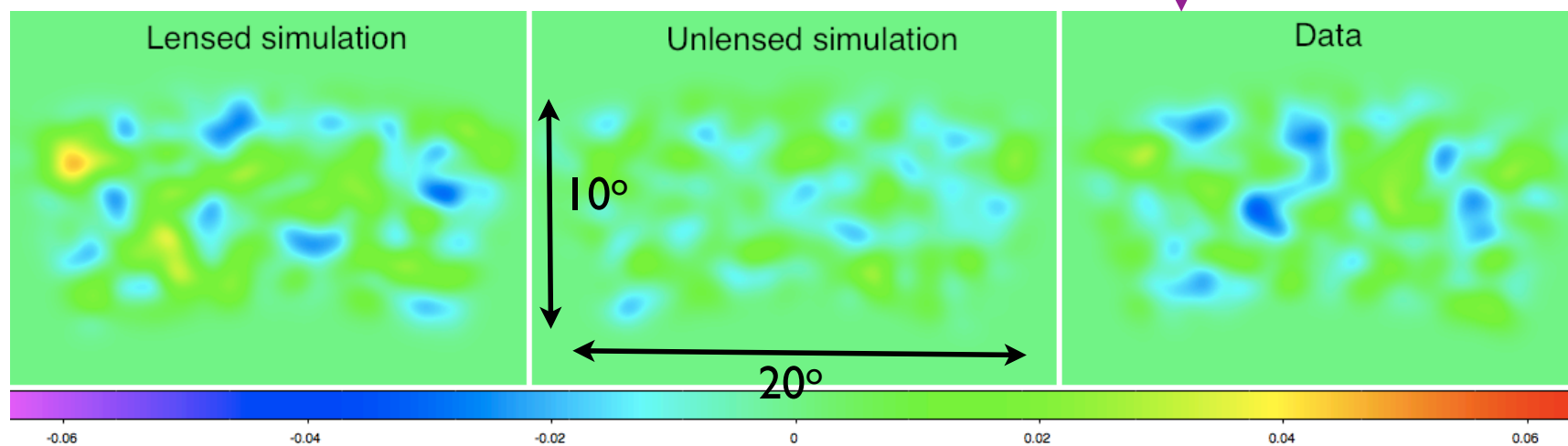
Hall et al 2010



# Results: mapping structure at $z \sim 2$

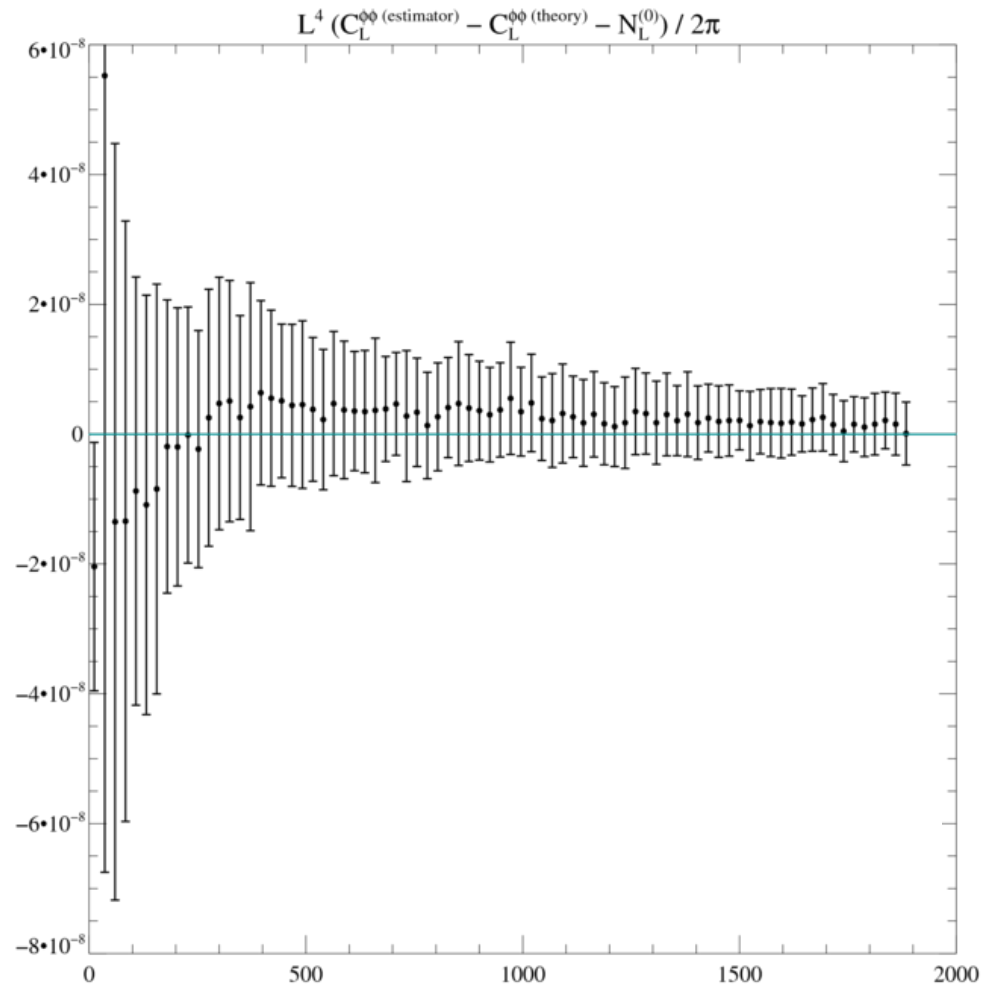


- High-res., low-noise experiments like SPT and ACT can map individual modes on large scales with  $S/N > 1$
- Lensing convergence map, filtered on degree scales; **real map of real structure**



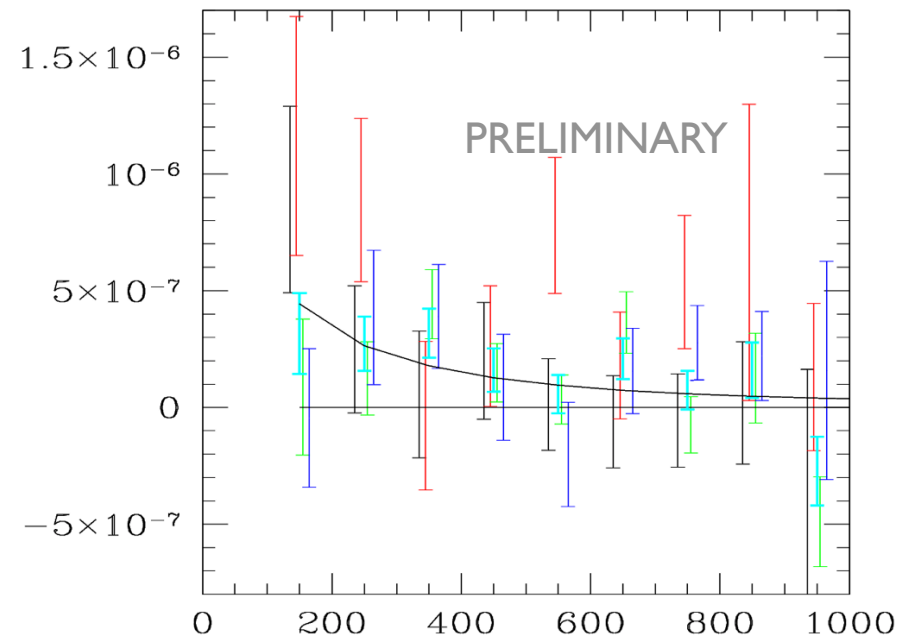
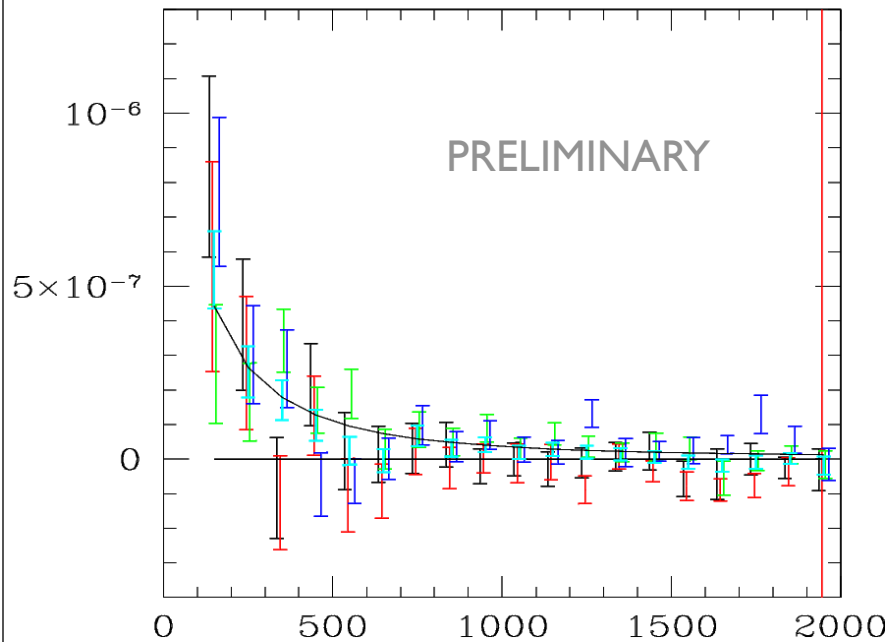
# Power spectrum: Higher-order noise biases

- At high  $L$  ( $> 200$ ): positive noise bias due to extra terms in trispectrum  $N_L^{(1)}$  (Kesden et al 2003)
  - $\propto C_L \phi \phi$
- At low  $L$ : negative bias due to terms of order  $\phi^2$ , neglected in estimator formalism (Hanson et al 2010)
- We treat both of these as simple transfer functions on  $C_L \phi \phi$



# Lensing power spectra

- Obtain gaussian bias from simulations which closely match the SPT observations;
- Obtain lensing transfer functions from diff. between observations of lensed and unlensed CMB



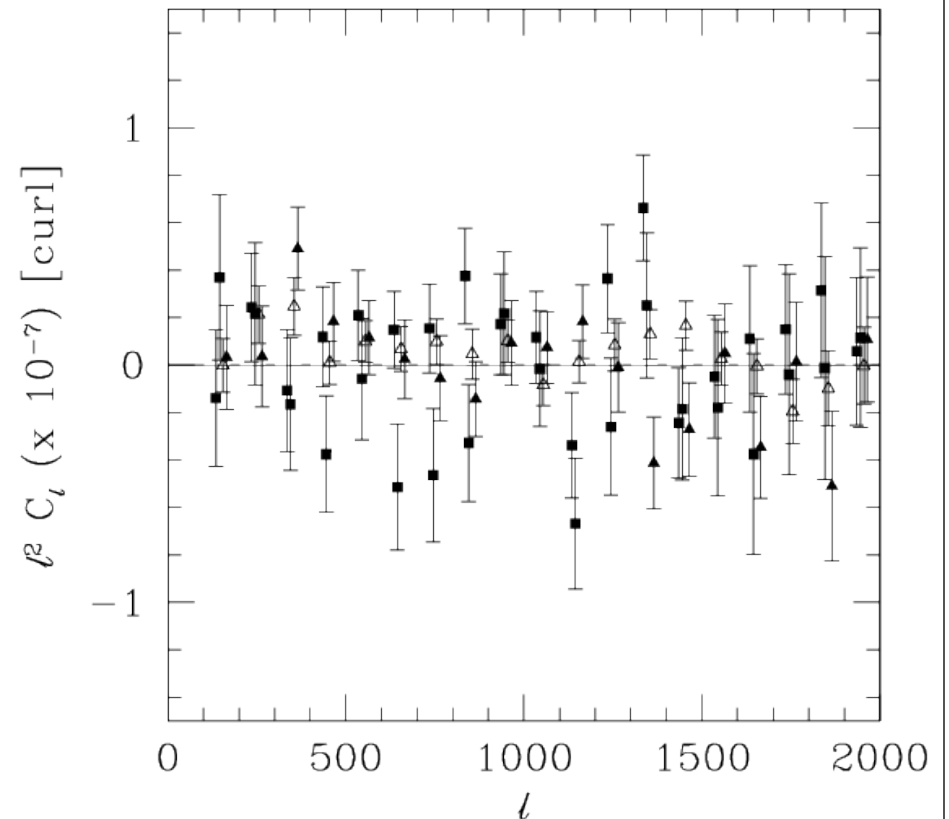
Cyan shows combined fields

# Curl null test (Cooray et al 2005)

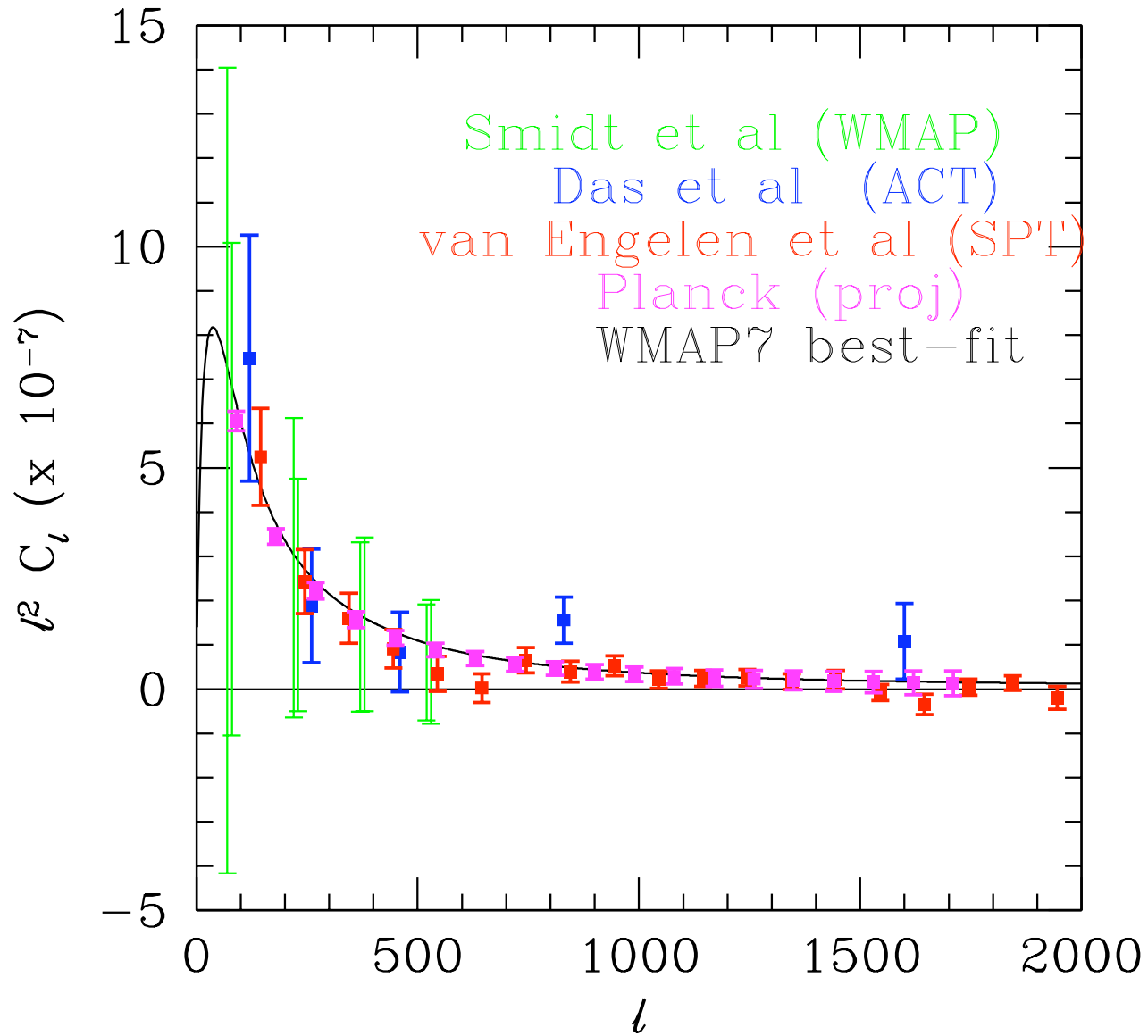
- In reconstruction, replace divergence of gradient with “curl” of gradient

$$\partial_x g_x + \partial_y g_y \rightarrow \partial_y g_x - \partial_x g_y$$

- No signal detected (after subtracting noise bias similar to gradient case)



# Various datasets



# Summary & Outlook

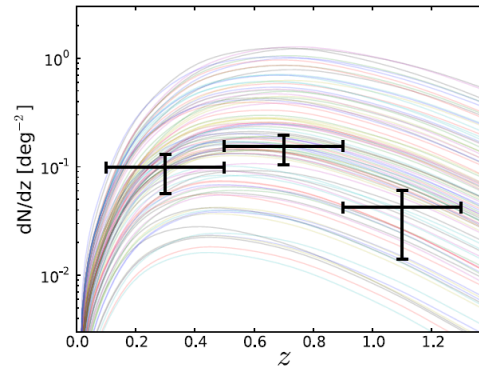
- Detection of lensing power spectrum from SPT is forthcoming, at very high significance based on  $\sim 500$  sq deg
- Foregrounds not a huge problem
- Full SPT temperature survey will be 2500 sq deg at 18  $\mu$ K' depth - plus maps at 90 and 220 GHz
- SPTpol upcoming



# Very quick overview of some SPT science (relevant for lensing)

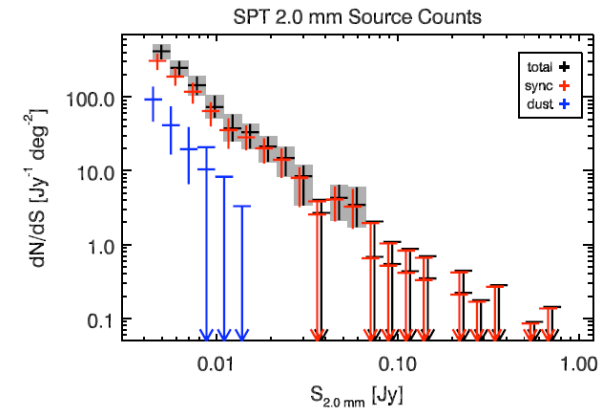
## Galaxy cluster survey

- Staniszewski et al 2009: first clusters detected in SZ
- Vanderlinde et al 2010:



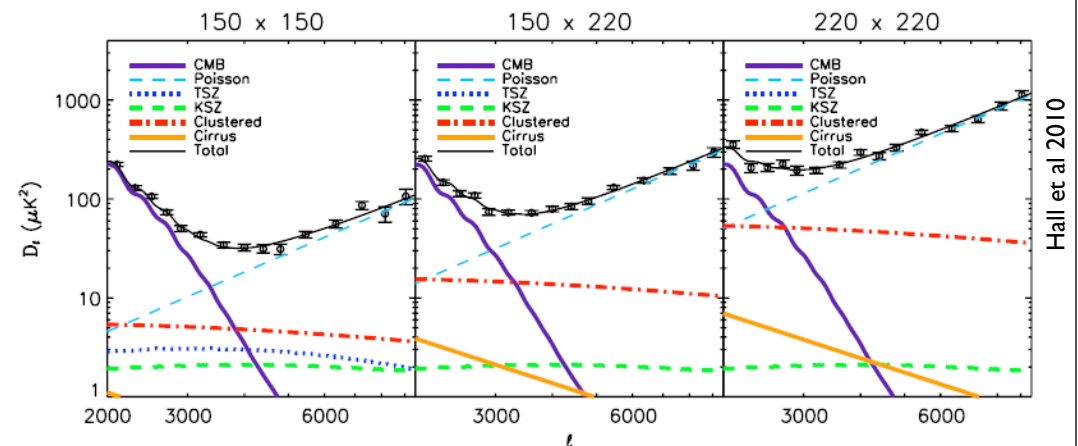
## Microwave point sources

Vieira et al 2009



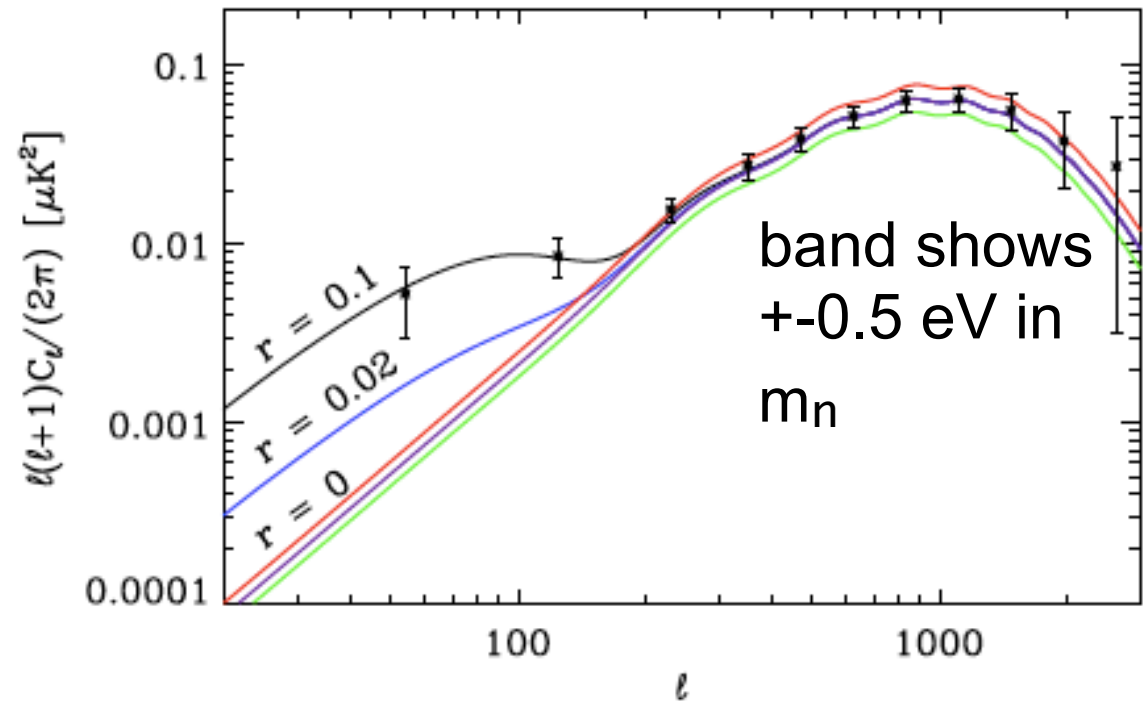
## Microwave power spectra at high multipole: secondaries

Lueker et al 2010, Hall et al 2010  
Shirokoff et al 2011



# SPT-pol lensing

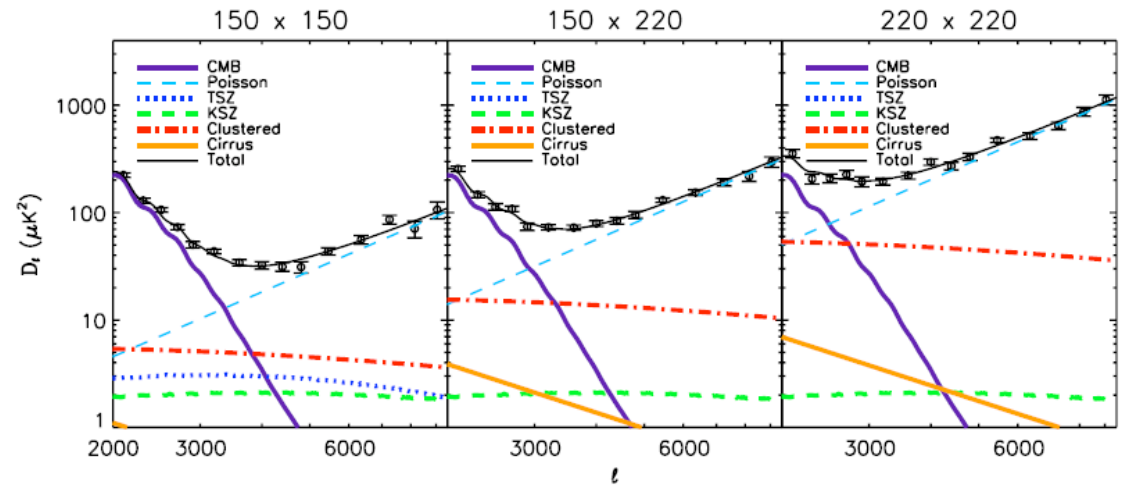
- polarization upgrade coming to SPT at end of 2011 or so
- 



# CMB Power spectrum science

- Detection of secondary anisotropy and measurement of low tSZ power (Lueker et al 2010);  
Detection of clustered dusty sources (Hall et al 2010);  
tighter constraints with more sky(Shirokoff et al 2010)
- Next result will be power spectra covering primary CMB  $500 < L < 3000$ 
  - See Ryan Keisler's talk, next
- We use these fields for the lensing analysis

Hall et al 2010



Simulation similar to upcoming primary CMB paper (Keisler et al)

